

Ling 325, Class Grammar. Revised 3/4/05.

**A. Inventory of denotations.** Let  $D$  be the set of all individuals in the actual world. Possible denotations are:

Members of  $D$ ; Subsets of  $D$ ; Subsets of  $D \times D$ ;<sup>1</sup> Subsets of  $\text{Pow}(D) \times \text{Pow}(D)$ ,  
Members of  $\{0,1\}$ .

**B. Lexicon.**

- $N$ : [**Greg**] = Greg, [**Alicea**] = Alicea, etc.  
 [**cat**] =  $\{x \mid x \text{ is a cat}\}$ , [**governor**<sub>1</sub>] =  $\{x \mid x \text{ is a governor}\}$ ,  
 [**description**<sub>1</sub>] =  $\{x \mid x \text{ is a description}\}$ , etc.  
 [**governor**<sub>2</sub>] =  $\{\langle x,y \rangle \mid x \text{ is a governor of } y\}$ ,  
 [**description**<sub>2</sub>] =  $\{\langle x,y \rangle \mid x \text{ is a description of } y\}$ , etc.
- $V$ : [**smoke**] =  $\{x \mid x \text{ smokes}\}$ , [**drink**] =  $\{x \mid x \text{ drinks}\}$ , etc.  
 [**govern**<sub>active</sub>] =  $\{\langle x,y \rangle \mid x \text{ governs } y\}$ , [**describe**<sub>active</sub>] =  $\{\langle x,y \rangle \mid x \text{ describes } y\}$ .
- $A$ : [**honest**] =  $\{x \mid x \text{ is honest}\}$ , [**afraid**] =  $\{x \mid x \text{ is afraid}\}$ , etc.  
 [**fond**] =  $\{\langle x,y \rangle \mid x \text{ is fond of } y\}$ , [**afraid**] =  $\{\langle x,y \rangle \mid x \text{ is afraid of } y\}$ , etc.
- $P$ : [**outside**] =  $\{x \mid x \text{ is outside}\}$ , [**inside**] =  $\{x \mid x \text{ is inside}\}$ , etc.  
 [**near**] =  $\{\langle x,y \rangle \mid x \text{ is near } y\}$ , [**from**] =  $\{\langle x,y \rangle \mid x \text{ is from } y\}$ , etc.

*Conj*: **and, or, Adv: not, I: should, will, can, do, might**, etc.,

- $D$ : [**some**] =  $\{\langle A, B \rangle \mid A \cap B \neq \emptyset\}$ , [**no**] =  $\{\langle A, B \mid A \cap B = \emptyset\}$ ,  
 [**every**] =  $\{\langle A, B \rangle \mid A \subseteq B\}$ , [**most**] =  $\{\langle A, B \rangle \mid |A \cap B| > |A - B|\}$ , etc.

**C. Syntactic rules.**

*Phrase structure rules:*

- |                             |                                 |                                 |                                 |
|-----------------------------|---------------------------------|---------------------------------|---------------------------------|
| $S \rightarrow NP \ I \ VP$ | $VP \rightarrow V'$             | $V' \rightarrow V \ NP$         | $V' \rightarrow V \ PP$         |
| $V' \rightarrow V \ AP$     | $V' \rightarrow V$              | $VP \rightarrow VP \ Conj \ VP$ |                                 |
| $NP \rightarrow (D) \ N'$   | $N' \rightarrow AP \ N'$        | $N' \rightarrow N' \ PP$        | $N' \rightarrow N \ (PP)$       |
| $PP \rightarrow P'$         | $P' \rightarrow P \ (NP)$       | $AP \rightarrow A'$             | $A' \rightarrow A \ (PP)$       |
| $VP \rightarrow Adv \ VP$   | $AP \rightarrow AP \ Conj \ AP$ |                                 | $PP \rightarrow PP \ Conj \ PP$ |

<sup>1</sup>  $D \times D$  ("the Cartesian product of  $D$  with  $D$ ") is defined as  $\{\langle x, y \rangle \mid x \in D \text{ and } y \in D\}$ , which is the set of all ordered pairs of elements of  $D$ .

*Movement/Transformations:*

1. *V-Raising.* Raise main verb *be* to  $I$ .

**D. Semantic rules of composition.**

1. If  $\alpha$  is a non-branching node whose daughter node is  $\beta$ , then  $[\alpha] = [\beta]$ .
2. If  $\alpha$  is of the form [<sub>S</sub> [<sub>NP</sub>  $N'$ ] I VP], then  $[\alpha] = 1$  iff  $[NP] \in [VP]$ .
3. If  $\alpha$  is of the form [<sub>VP1</sub>  $VP_2$  [<sub>Conj</sub> and]  $VP_3$ ], then  $[\alpha] = [VP_2] \cap [VP_3]$ .
4. If  $\alpha$  is of the form [<sub>VP1</sub>  $VP_2$  [<sub>Conj</sub> or]  $VP_3$ ], then  $[\alpha] = [VP_2] \cup [VP_3]$ .
5. If  $\alpha$  is of the form [<sub>VP1</sub> [<sub>Adv</sub> not]  $VP_2$ ], then  $[\alpha] = [VP_2]$ .
6. If  $\alpha$  is of the form [<sub>VP</sub> [<sub>V'</sub> [<sub>V</sub> ] AP]], then  $[\alpha] = [AP]$ .
7. If  $\alpha$  is of the form [<sub>VP</sub> [<sub>V'</sub> [<sub>V</sub> ] PP]], then  $[\alpha] = [PP]$ .
8. If  $\alpha$  is of the form [<sub>AP1</sub>  $AP_2$  [<sub>Conj</sub> and]  $AP_3$ ], then  $[\alpha] = [AP_2] \cap [AP_3]$ .
9. If  $\alpha$  is of the form [<sub>AP1</sub>  $AP_2$  [<sub>Conj</sub> or]  $AP_3$ ], then  $[\alpha] = [AP_2] \cup [AP_3]$ .
10. If  $\alpha$  is of the form [<sub>X</sub> X YP], then  $[\alpha] = \{x \mid \langle x, [YP] \rangle \in [X]\}$ .<sup>2</sup>
11. If  $\alpha$  is of the form [<sub>S</sub> [<sub>NP</sub> Det  $N'$ ] I VP], then  $[\alpha] = 1$  iff  $\langle [N'] , [VP] \rangle \in [D]$ .
12. If  $\alpha$  is of the form [<sub>N'</sub> AP  $N'$ ] then  $[\alpha] = [AP] \cap [N']$ .
13. If  $\alpha$  is of the form [<sub>N'</sub>  $N'$  PP], then  $[\alpha] = [N'] \cap [PP]$ .

**E. Pronunciation (or "PF") rules.**

1. *VP Deletion (optional).*  
Do not pronounce (i.e., delete) a VP that is syntactically identical to the VP of an immediately preceding sentence in the discourse. A deleted VP cannot contain *not*.
2. *Affix Hopping.*  
Lower an inflectional suffix in  $I$  to  $V$  if  $I$  and  $V$  are adjacent.
3. *Do-Support.*  
Insert *do* to bear a stranded inflectional suffix in  $I$ .

<sup>2</sup> If YP is of the form [<sub>PP</sub> [<sub>P'</sub> [<sub>P</sub> of] NP], then the denotation of  $[YP] = [NP]$ .